#### **Department of Meteorology**



## Entropy production in HadCM3 model and MEP conjecture for objective tuning

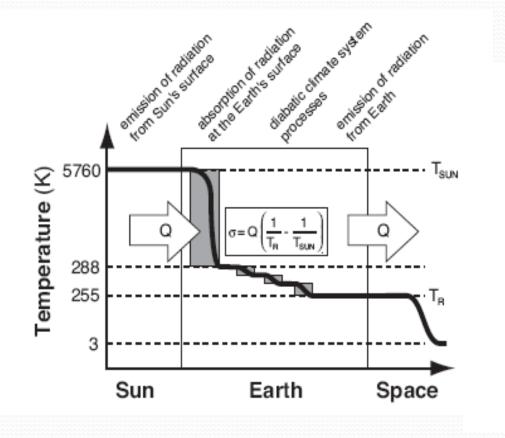
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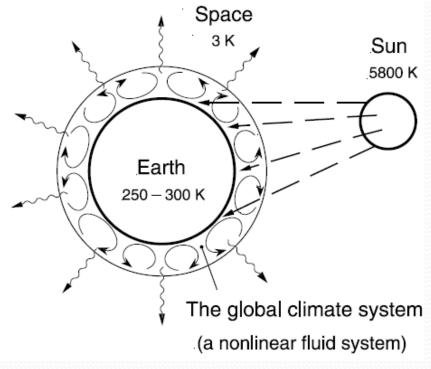
# Outline

- GCMs entropy budgets: HadCM3 and its low resolution version, FAMOUS
- **MEP and MKD conjectures:** can they provide objective functions for parameter tuning?
- A case study in FAMOUS: parameter variation and entropy production

### Earth system and entropy production

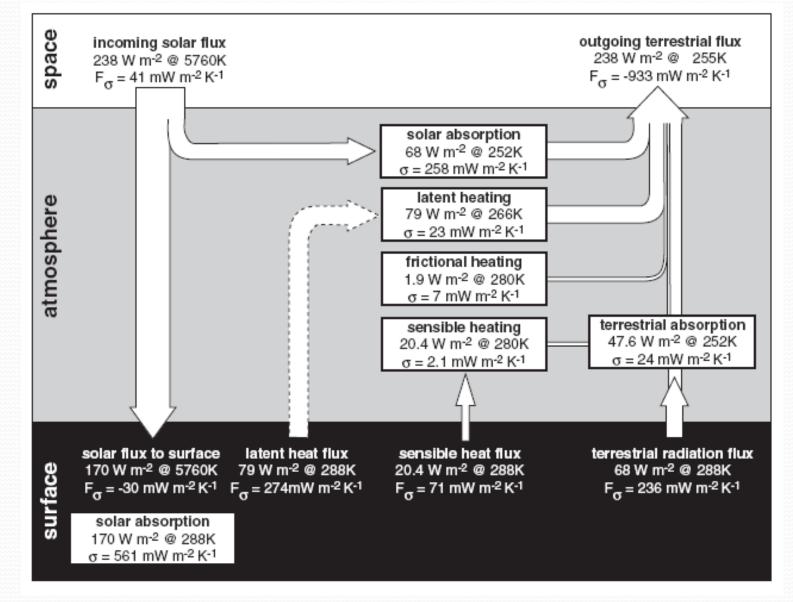


(from Kleidon&Lorenz (2005))



(from Ozawa et al. (2003))

## **Climate entropy budget**



(from Kleidon&Lorenz (2005))

### HadCM3 and FAMOUS entropy budget

Entropy sources from temperature tendencies:

$$\frac{\Delta s}{\Delta t} = c_p \frac{\Delta T / \Delta t}{T} \blacktriangleleft dp / g^{-1}$$

- Quantites diagnosed in a 30-year control run (preindustrial CO2 concentrations)
- Atmosphere: Advection, hyperdiffusion, cloud scheme, BL, radiation, LS precipitation, convection, KE dissipation (energy correction);
- Ocean: mixed layer physics, diffusion, convection

Process	HadCM3	FAMOUS	Fraedrich and Lunkeit (2008)	Goody (GISS)	Goody	Peixoto		
Radiative entropy terms								
$\dot{S}_{pl}$	911.3	897.8	882	_	_	892		
Sirr sw	811.8	790.9	812	802	_	819		
$\dot{S}_{lac}^{sur,at}$	10.6	10.2	6	_	_	24		
$\dot{S}_{lw}^{at,at}$	38.6	42.7	28	_	_	_		
Sirr	861.0	843.7	846	_	_	843		
Srev	-51.0	-54.1	_	-72.8	_	_		
Material entropy terms								
$\dot{S}_{sh+lh}$	37.8	37.9	29	58.7	21.2	25		
$\dot{S}^{bl}_{sh}$	2.2	2.3	1	3.4	2.4	2.1		
Sdiss	$12.5^{(*)}$	13.6 (*)	6(**)	11.5	11.3	7		
Sdiff	0.8	1.1	_	_	_	_		
Sadv	-0.1	-0.4	_	_	_	_		
Soc	0.8	1.0	_	_	_	_		
Smat	51.8	53.3	35	70.2	32.5	34.1		
Rate of change of entropy								
Ś	0.8	-0.8	-7	-2.6	_	-17		

(Pascale et al., 2010)

## Maximum Entropy Production: what proof? What use?

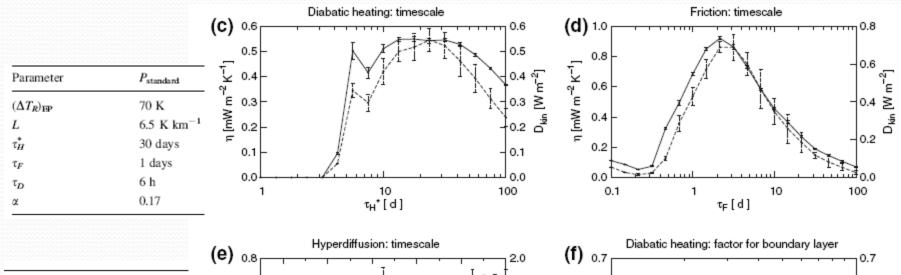
- **Proofs:** many "claimed" proves, none are really satisfactory. Lack of a general understanding.
- **Theoretically:** *Dewar (2003)* claimed to have demonstrated MEP ; Grinstein & Linsker found an error in Dewar's derivation;
- **Toy model:** Lorenz et al.(2001), Paltridge(1975,1978,2001); one dimensional vertical models (Ozawa et al., 1997), (Pujol&Fort, 2002), (Wang et al.,2008), (Noda&Tokioka,1983), (Schulmann, 1977). All these demonstrations assume specific ad hoc relations about the physics of the models (which contains no dynamics)
- Simple GCMs (*Kleidon et al. 2003,2006*)
- So far as MEP seems to have little predictive power except order-ofmagnitude estimations, and so not very useful in Climate Science.

### MEP and GCMs: how to prove, how to use?

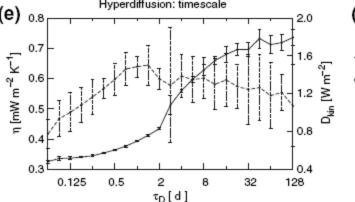
- If MEP holds, it could provide a thermodynamic principle inherent to the system;
- How test MEP in a GCM? Some internal processes are parametrised and therefore cannot adjust to select a MEP state;
- Instead the MEP state could be found within the corresponding model parameter space: the only degrees of freedom in the model
- If MEP holds, parameters should be tuned in a way to maximise Entropy Production

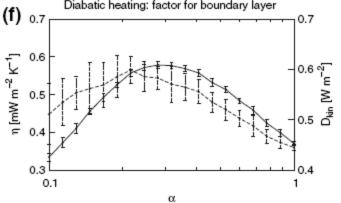
### **Optimisation of GCMs trough objective functions (Kunz et al., Clim Dyn 2008))**

				levels 1 to 3: $\tau_H = \tau_H^*$ ,
$\begin{pmatrix} \partial(\zeta, D) \end{pmatrix} = - \langle \zeta, \rangle$	$(\hat{\sigma}(T,\zeta,D))$	$- \sqrt{\nabla^8(T,\zeta,D)}$	$(\partial T)$ $T_R - T$	level 4: $\tau_H = (0.8\alpha + 0.2)\tau_H^*$
$\left(\frac{\partial(\zeta,D)}{\partial t}\right)_{\text{Friction}} = -\frac{\langle\zeta\rangle}{t}$	$t_F = \left( \frac{\partial t}{\partial t} \right)$	$= -\kappa - \tau_D,  ($	$\left(\frac{\partial t}{\partial t}\right)_{\text{Heating}} = \frac{\tau_H}{\tau_H}$	level 5: $\tau_H = \alpha \tau_H^*$ .



$P_{\max}[\eta]$	$P_{\max} [D_{kin}]$
-	_
	_
24 days	18 days
2.2 days	2.2 days
1.4 days	_
0.22	0.28





#### A case study in FAMOUS: entrainment rate and cloud-

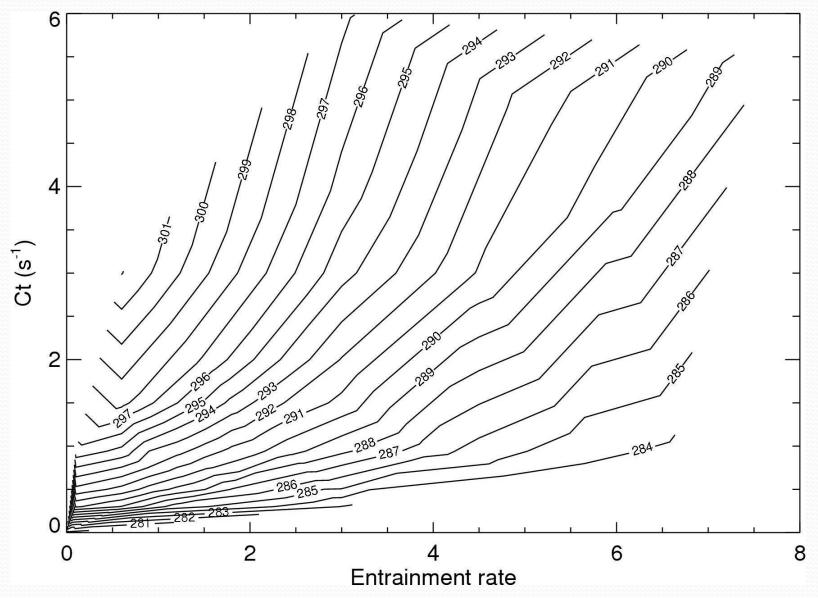
#### to-droplet conversion rate

- Try to extend the previous idea to a complex GCM, FAMOUS;
- Consider parameters to which the climate is very sensitive: (see QUMP, Murphy et al. 2004).....
- parameter tuning is one of the main uncertainties of GCM; here MEP could be really useful..

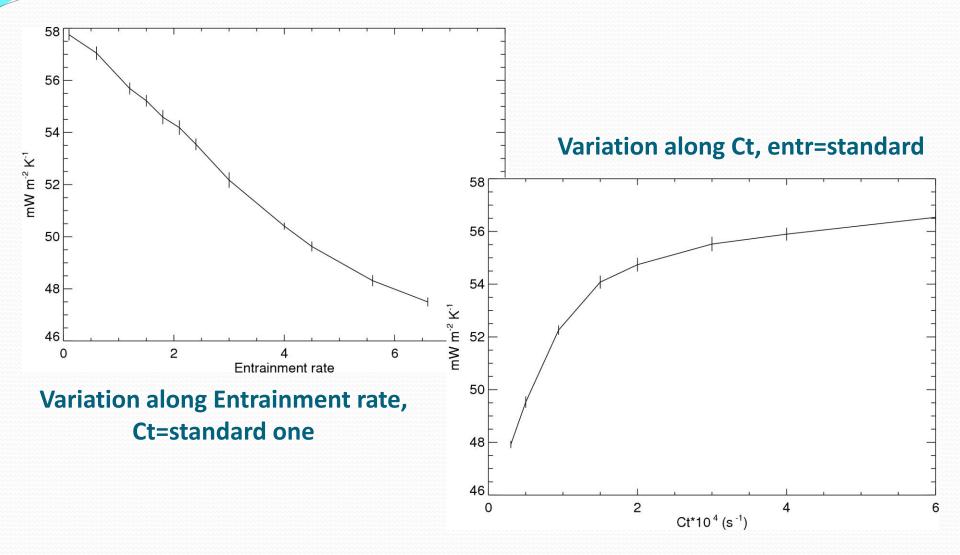
GCM Physics	Process Affected	Range
Entrainment rate	Convection	0.6 - 9
Cloud droplet-rain conversion rate , s^-1	Large scale cloud	(0.5-4)*10^-4
Ice fall speed , m/s	Large scale cloud	0.5-2
Threshold of relative humidity	Large scale cloud	0.6-0.9
Asymptotic neutral mixing length	Boundary layer	0.05- 0.5
Ice particle size (effective radius), m	Radiation	(25-30)*10^-4
Order of diffusion operator	Dynamics	4-6

### Set of climates in parameter space:

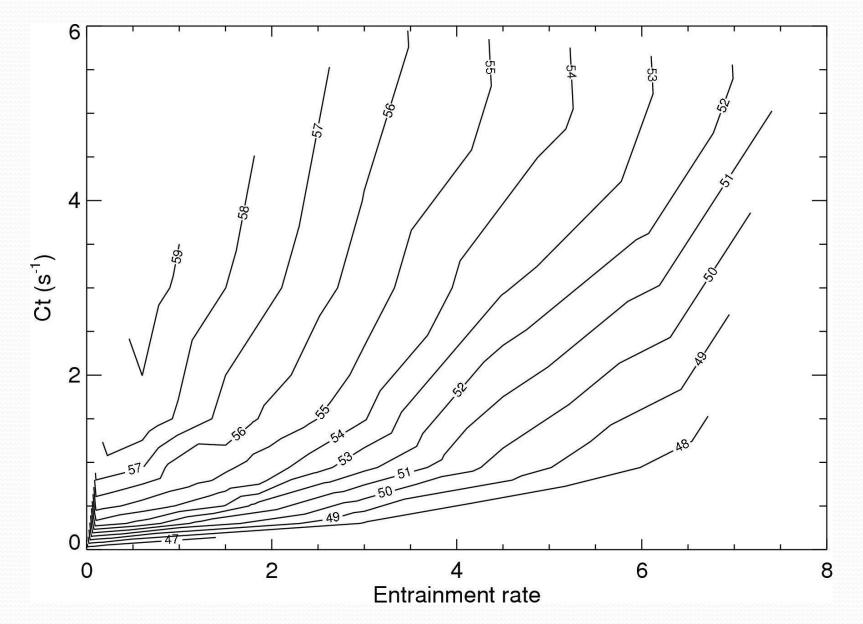
### **Surface Temperature**



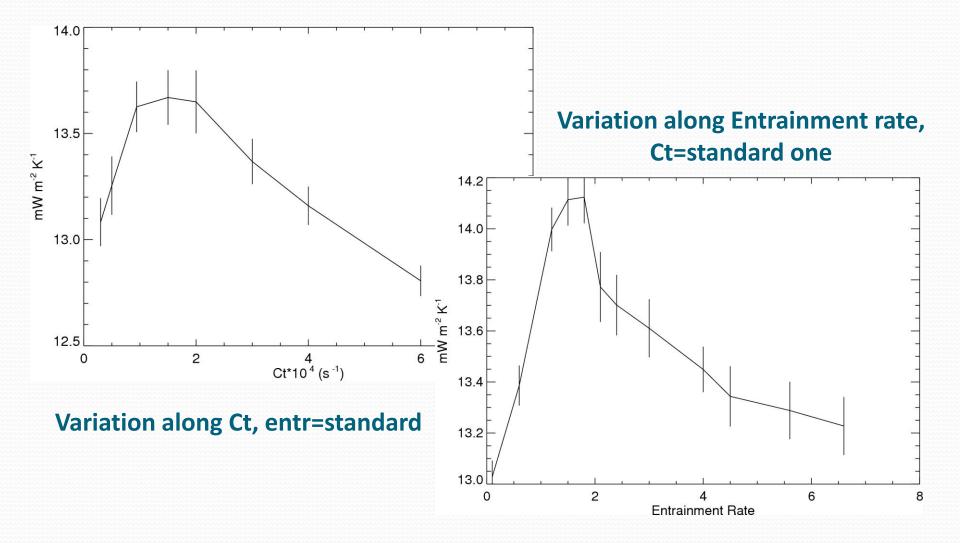
Material Entropy Production (mW/m^2/K)



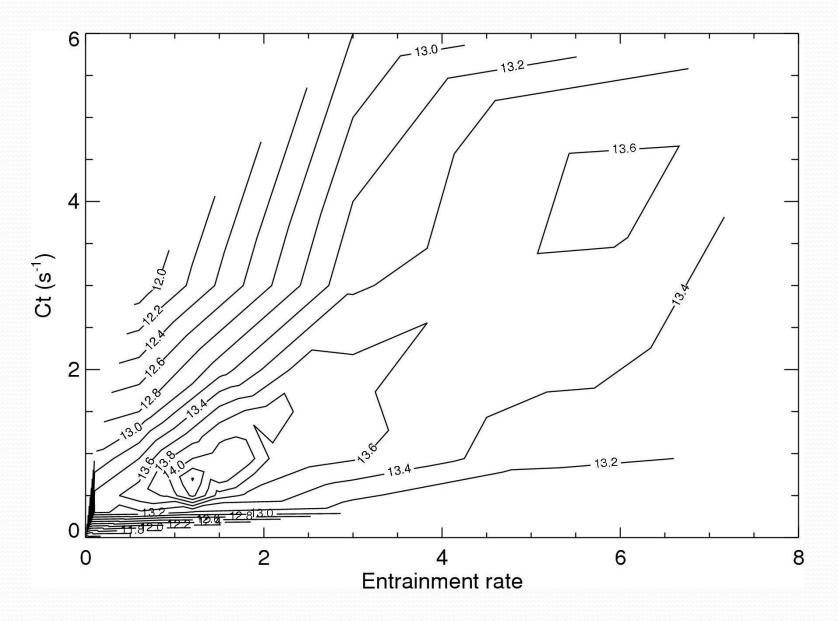
#### **Climate Material Entropy Production (mW/m^2/K)**

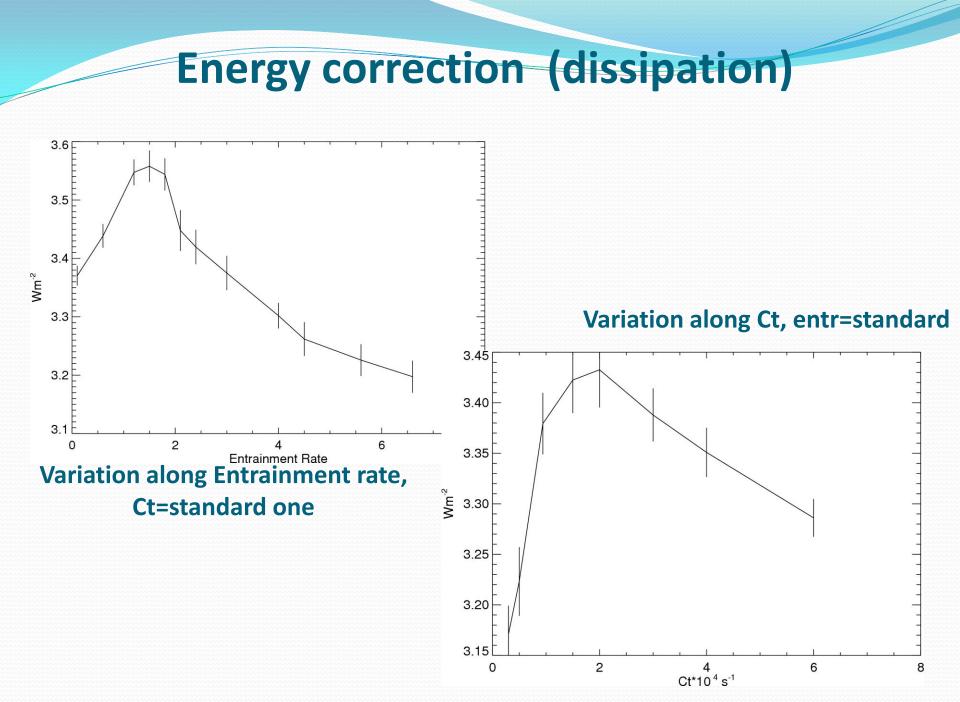


#### **Dissipation Entropy Production (mW/m^2/K)**



**Dissipation Entropy Production (mW/m^2/K)** 





## Caution....

- No maximum in the "material" entropy production of the CS is found; EP dominated by the release of latent heat
- A maximum in the energy correction (dissipation) is found but different from standard values;
- Maybe Dissipation better well-behaved than EP;
- Other parameters : Von Karman constant, Ice fall speed, RHc. A maximum in atmospheric dissipation is shown only by Karman's constant (for k~1): at this stage MEP does not seem to be usefully applicable;
- Perhaps the model is too "constrained" and parameter variation does not produce a states space enough large in order to show MEP;
- A complex GCM is dominated by clouds and ice-sheet feedbacks when physics is perturbed; we are repeating the experiment in a simplified setup with fixed absorbed solar radiation and fixed surface albedo to highlight the differences.

## Conclusions

- Entropy diagnostic tool for a coupled GCM and HadCM3 entropy budget
- HadCM3 is quite well entropy balance, but comparison with other model shows still uncertainty in material EP and dissipation;
- Maximum in dissipation but not in material entropy production for some parameters, but we must be prudent about conclusions;
- At this stage MEP does not seem to be of great utility, even though the experiments shows a qualitative confirmation of Lorenz hypothesis of maximum dissipation