

Equator-to-pole temperature differences and the North Atlantic storm track responses in CMIP5

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There is a **large spread** between the **CMIP5 models** in the responses of the extratropical **storm tracks** to climate change, particularly in the **wintertime North Atlantic** (see Figure 1)

The aim of this study is to understand which **physical processes** are causing this spread and what role changes in the **equator-to-pole temperature difference** play in controlling the storm track responses

(a) winter multi-model mean



(b) winter inter-model std dev



Figure 1: DJF storm track responses from the CMIP5 multi-model dataset. The storm track measure is the standard deviation of the 2-6 day MSLP).

Contours show the multi-model mean HISTORICAL storm track (1975-2005; units: hPa) and the shading shows (a) the multi-model mean RCP8.5 response (2070-2099), and (b) the inter-model standard deviation of the RCP8.5 responses. One run per model is used.

Results

Figure 3 shows **regression slopes** (β) and the regions of **significant correlation** for the two temperature differences, and Figure 4 shows the FVE by each regression.

(a) winter $\Delta T850_{ATL}$ regression slope







Figure 3: The inter-model regression between the storm track responses and the responses of the (a) Δ T850 and (b) Δ T250 zonal-mean equator-to-pole temperature differences. Stippling indicates a significant correlation at the 95% level.

(c) winter $\Delta T850_{ATI}$ FVE

(d) winter $\Delta T250_{ATI}$ FVE

Equator-to-pole temperature differences

We define the zonal-mean equator-to-pole temperature difference as

 $\Delta T = T_{(30S-30N)} - T_{(60N-90N)}$

averaged over the North Atlantic basin: 10W-60W. We evaluate this at both a **lower-tropospheric level** (Δ T850) and an **upper-tropospheric level** (Δ T250).

Figure 2 illustrates these definitions and shows the range of their **responses** in the CMIP5 models:

- There is a **wide spread in the magnitudes** of the responses between the models.
- However, they nearly all agree on the signs of the responses, with $\Delta T250$ increasing in the future and $\Delta T850$ decreasing in the future.



Figure 2: DJF responses of (a) the global mean surface temperature and (b) the two equator-to-pole temperature differences defined above (units: K).

Panel (c) shows the multi-model zonal mean NH temperature response and illustrates the definitions of the two temperature





- There are large regions with significant correlation for both the Δ T850 and Δ T250 temperature differences.
- The **regression slopes** in these regions are mostly **positive**, consistent with the storm track responses being **driven by the responses of the baroclinicity** rather than the other way around.
- The **impact of** Δ **T850** on the multi-model mean storm track response (Figure 1a) is **negative** across most of the hemisphere, whereas the **impact** of Δ **T250** is **positive** but confined to the ocean basins.
- Together, the two linear regression maps qualitatively capture the spatial pattern of the multi-model mean response.
- The FVE by Δ T850 is over **50%** in the North Atlantic and Norwegian Sea and by Δ T250 is over **30%** in the North Atlantic but small elsewhere.

Discussion

These results suggest that there is potential to **reduce the spread** in the storm track responses by **constraining the relative strengths** of the warming in the tropics and polar regions.

A similar analysis has been performed for the summer and also for the North Pacific and SH storm tracks (see [1]). There is a **strong association** between the storm track and temperature difference responses **in the SH** but **very little association in the North Pacific**.



Simple linear regression

To assess the association between the ensemble of storm track responses and the responses of the equator-to-pole temperature differences, we fit a **simple linear regression model**

 $ST_{resp,i} = \alpha + \beta \Delta T_{resp,i} + \epsilon_i$

where α and β are calculated at each grid point to **minimise the RMS of the residuals** ε_i and i labels the models.

The **fraction of inter-model variance explained** (FVE) by this regression is defined as $\sum \epsilon_i^2$

$$FVE = 1 - \frac{\Sigma \epsilon_i}{\sum ST_{resp,i}^2}$$

The North Atlantic winter is unique in that both the Δ T850 and Δ T250 regressions are needed to capture the pattern of the mean response. This more complex behaviour may go some way towards explaining the particularly large inter-model spread in the North Atlantic region (Figure 1b).

One limitation of this study is that the **causality of the correlations cannot be determined**. It is not clear whether the storm tracks respond directly to the **equator-to-pole temperature difference**, or instead to more **local baroclinicity changes** (e.g. SST, sea-ice or land-sea contrast changes) which may themselves be correlated with the equator-to-pole temperature difference. AGCM experiments are planned to try and isolate the mechanisms involved.

[1] Harvey, B. J., Shaffrey, L. C. and Woollings T. J., Equator-to-pole temperature differences and the extra-tropical strm track responses of the CMIP5 climate models, *submitted to Climate Dynamics*.

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